

# A Plug and Play, Approximation-Based, Selective Load Shedding Mechanism for the Future Electrical Grid

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18<sup>th</sup> of September 2013



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- The role of electric frequency and the Big Picture
- Conventional load shedding scheme
- The Proposed Scheme for Load Management
  - Methodology
  - Results
- Current and Next Steps
- Summary



# Frequency as an accurate indicator of power balance

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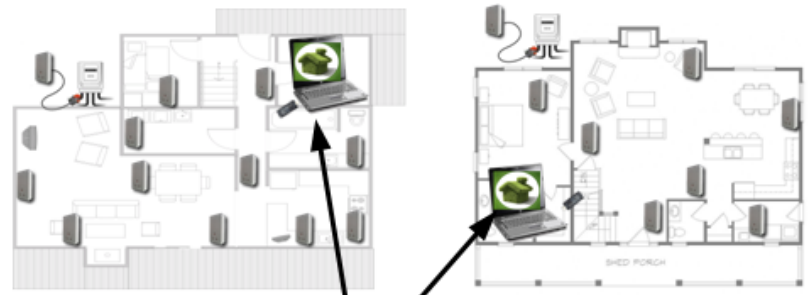
- Frequency as a ubiquitous indicator
- It is essential to be kept constant at 50/60 Hz (Why?)
- If not, drastic measures are taken:
  - Brutal load shedding == total blackout
  - Based on under-frequency relays → over-shedding
  - Their operation is based on a rule of thumb: the connected load magnitude should be decreased linearly in relation to the frequency decline.
  - Causes major inconvenience to consumers and businesses and costs a lot...

***Solution: an automatic and more flexible scheme...***

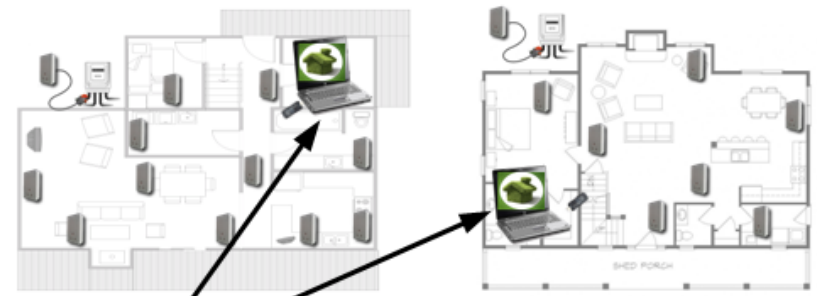


# The Big Picture...

## Smart Homes at Location A



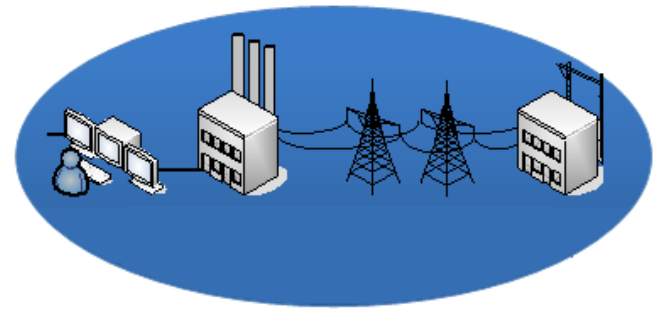
## Smart Homes at Location B



**Low-Level  
Smart Grid  
Controllers**

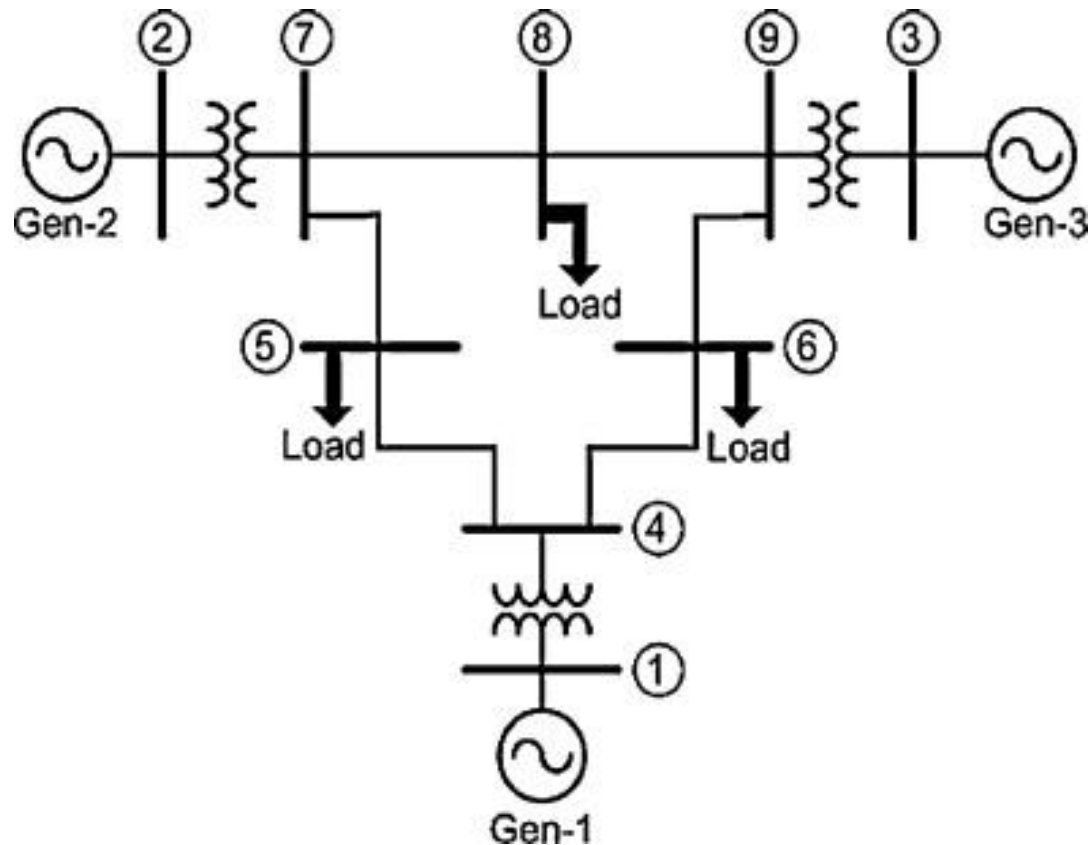
**High-Level  
Smart Grid  
Controller**

**SCADA  
System**



# The Scenario...

- Nine-bus, Three-Machines, Three-Load, P. M. Anderson Test System



- The swing equation of a power system is given by:

$$\frac{2H}{f_{syn}^2} f(t) \frac{df(t)}{dt} = p_{mp.u.}(t) - p_{ep.u.}(t) - \frac{Df(t)}{f_{syn}} \Rightarrow$$

$$\frac{df(t)}{dt} = \frac{f_{syn}^2}{2H} \left( \frac{p_{mp.u.}(t)}{f(t)} - \frac{p'_{ep.u.}(t) + \Delta p'_{ep.u.}(t)}{f(t)} - \frac{D}{f_{syn}} \right)$$

$$= \underbrace{\frac{f_{syn}^2}{2H} \left( \frac{p_{mp.u.}(t) - p'_{ep.u.}(t)}{f(t)} - \frac{D}{f_{syn}} \right)}_{g_1^*(f)} + \underbrace{\frac{f_{syn}^2}{2Hf(t)}}_{g_2^*(f)} \underbrace{\Delta p'_{ep.u.}(t)}_{u(t)}$$

Unknown functions



- The two unknown functions are approximated with Linearly Parameterized approximators:

$$g_1^*(f) = \hat{g}_1(f, \theta_{g_1}^*) + \delta_{g_1}(f)$$
$$g_2^*(f) = \hat{g}_2(f, \theta_{g_2}^*) + \delta_{g_2}(f)$$

Minimum functional approximation error

where:

$$\hat{g}_1(f, \theta_{g_1}^*) = \Phi_{g_1}(f)^T \theta_{g_1}^* = \sum_{i=1}^{12} \theta_{g_{1i}}^* \varphi_{g_1}(\|f - c_i\|)$$

$$\hat{g}_2(x, \theta_{g_2}^*) = \Phi_{g_2}(f)^T \theta_{g_2}^* = \sum_{i=1}^{12} \theta_{g_{2i}}^* \varphi_{g_2}(\|f - c_i\|)$$

- The control law is chosen as follows:

$$u = \frac{-a_m (f-1) - \Phi_{g_1}(f)^T \hat{\theta}_{g_1} - v_g}{\Phi_{g_2}(f)^T \hat{\theta}_{g_2}}$$

$$\dot{\hat{\theta}}_{g_1} = \Gamma_{g_1} \Phi_{g_1}(f)(f-1), \quad \dot{\hat{\theta}}_{g_2} = \Gamma_{g_2} \Phi_{g_2}(f)(f-1)u, \quad \alpha_L \delta_L(f) \leq \delta(f, u, t) \leq \alpha_U \delta_U(f)$$

$$v_g = \begin{cases} \hat{a}_U \delta_U(f) & \text{if } f > 1 \\ \hat{a}_L \delta_L(f) & \text{if } f < 1 \end{cases}$$

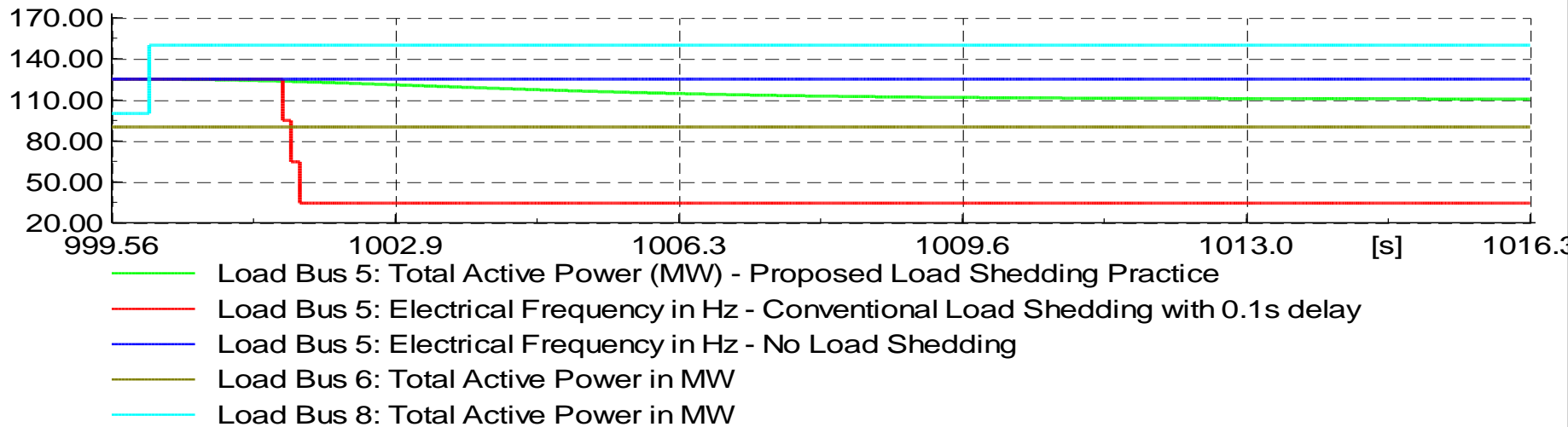
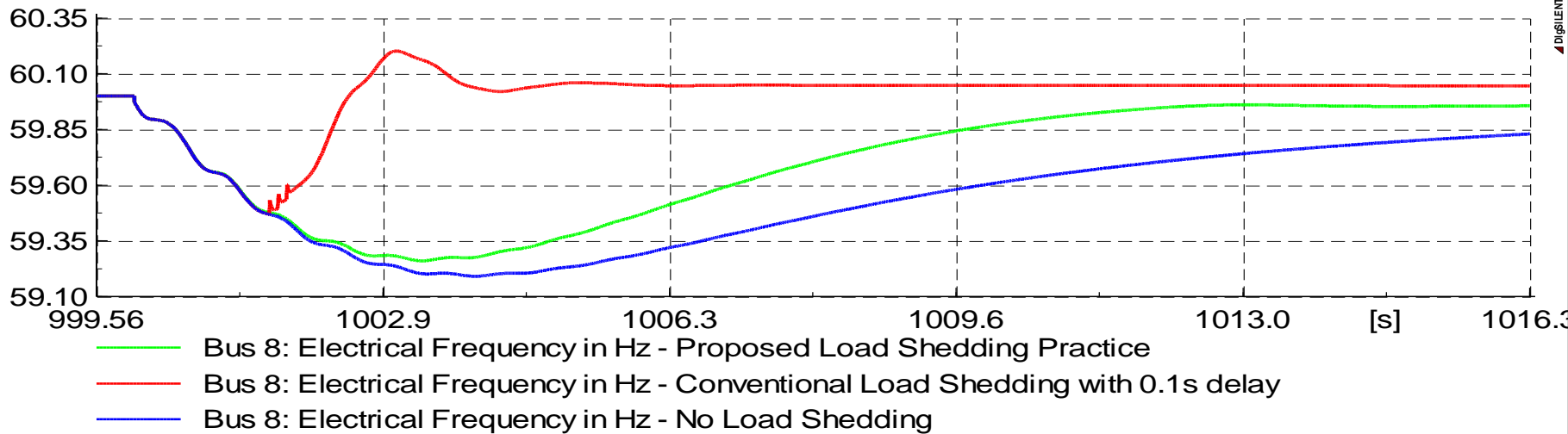
$$\dot{\hat{a}}_U = \begin{cases} \gamma_U (f-1) \delta_U(f) & \text{if } f > 1 \\ 0 & \text{if } f < 1 \end{cases}$$

$$\dot{\hat{a}}_L = \begin{cases} 0 & \text{if } f > 1 \\ \gamma_L (f-1) \delta_L(f) & \text{if } f < 1 \end{cases}$$

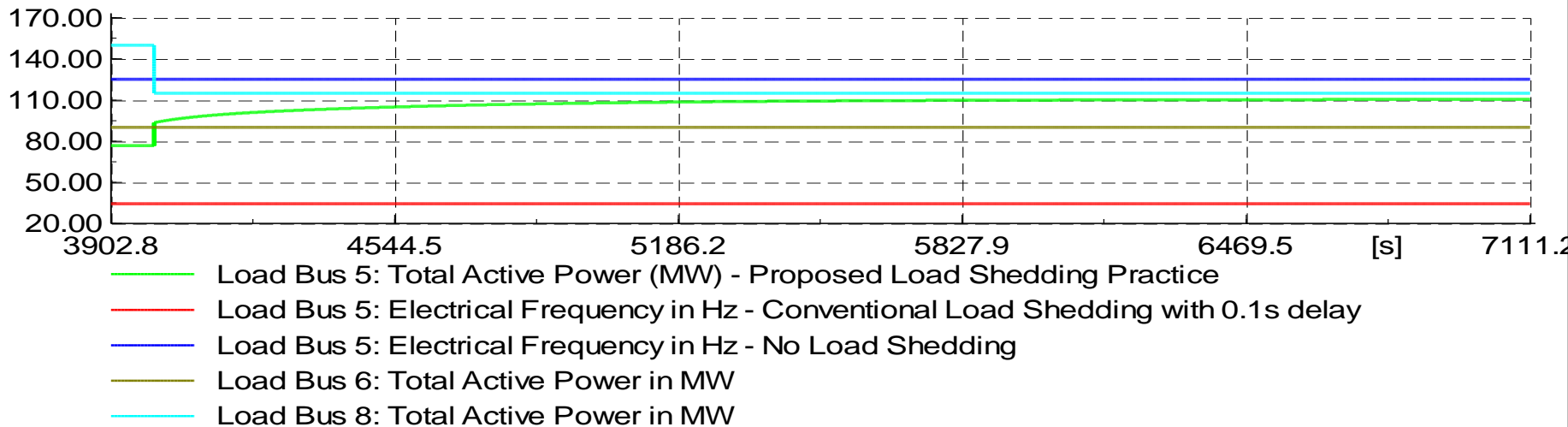
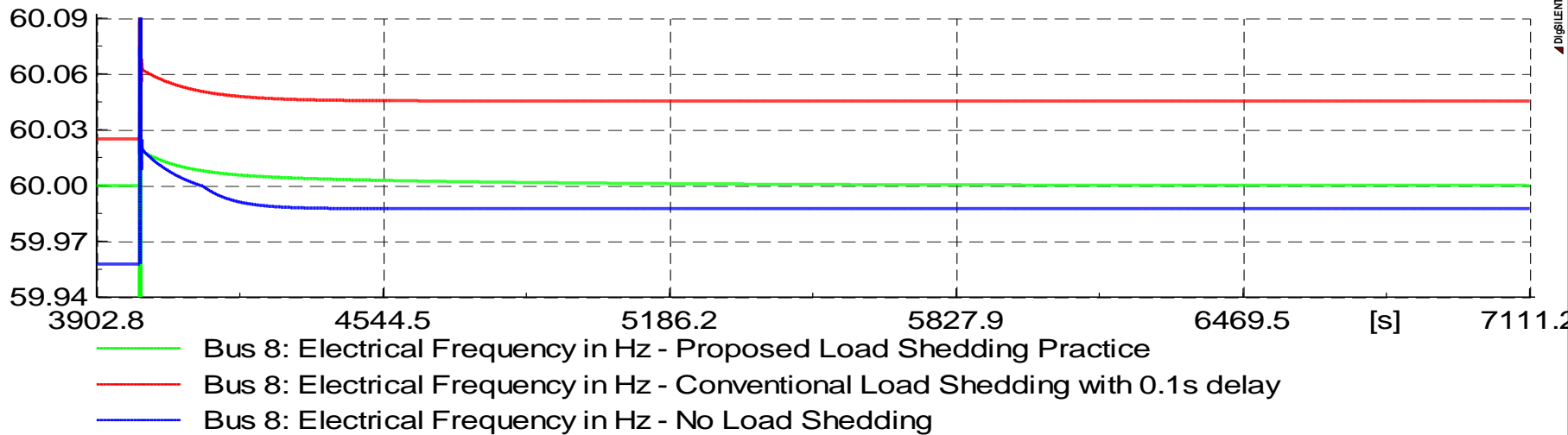




# Results



# Results



# Conclusions

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- Proposed Load Shedding Scheme outperforms the conventional practices, minimizing the load to be shed and maintaining the frequency in acceptable levels.
- It prevents over-shedding and extended under/over-frequency operation.
- It enables seamless load restoration preventing oscillations between shedding and restoration.



# Questions

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Thank you 😊

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